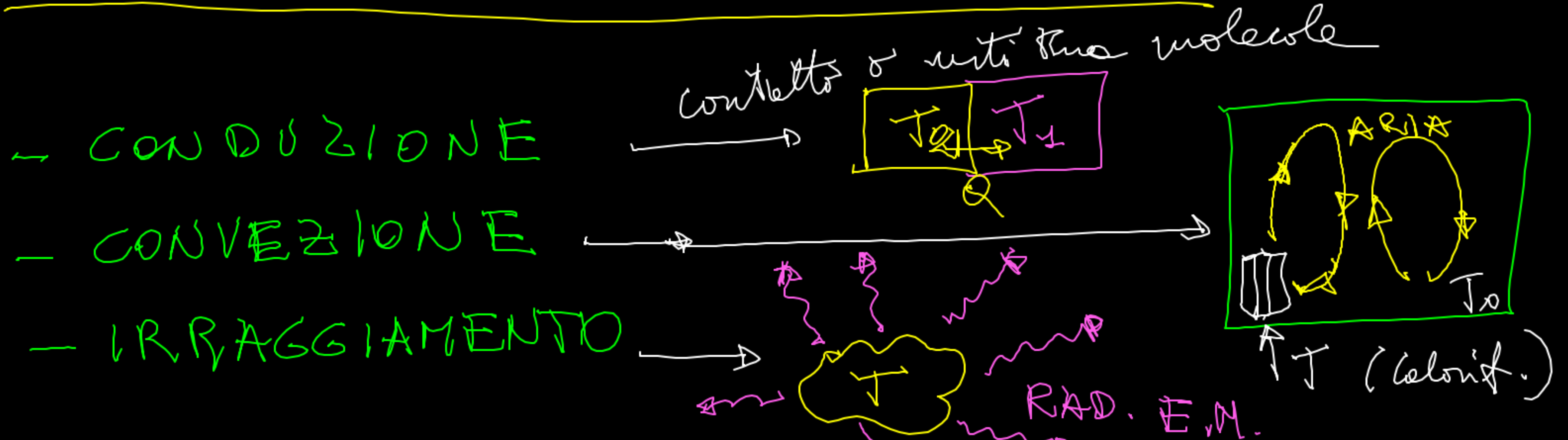
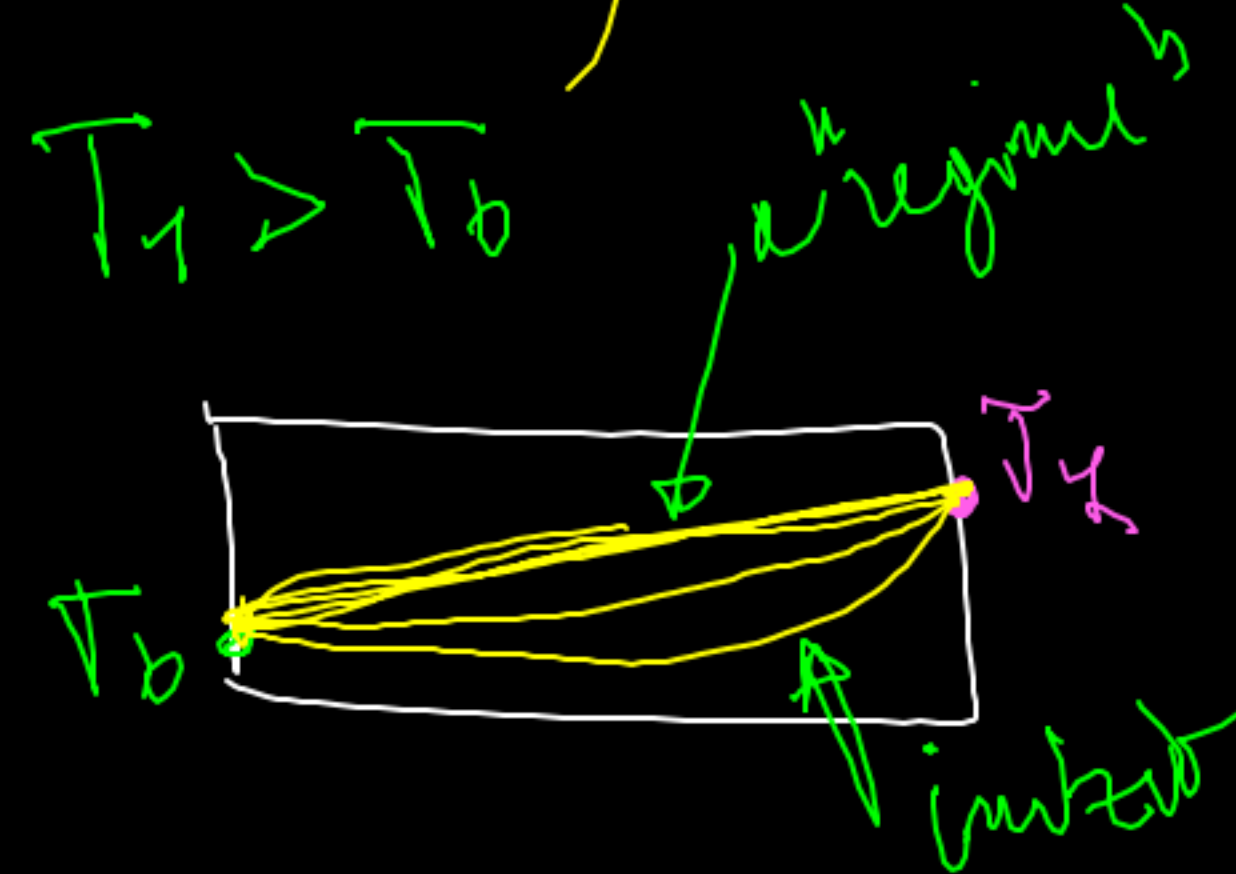
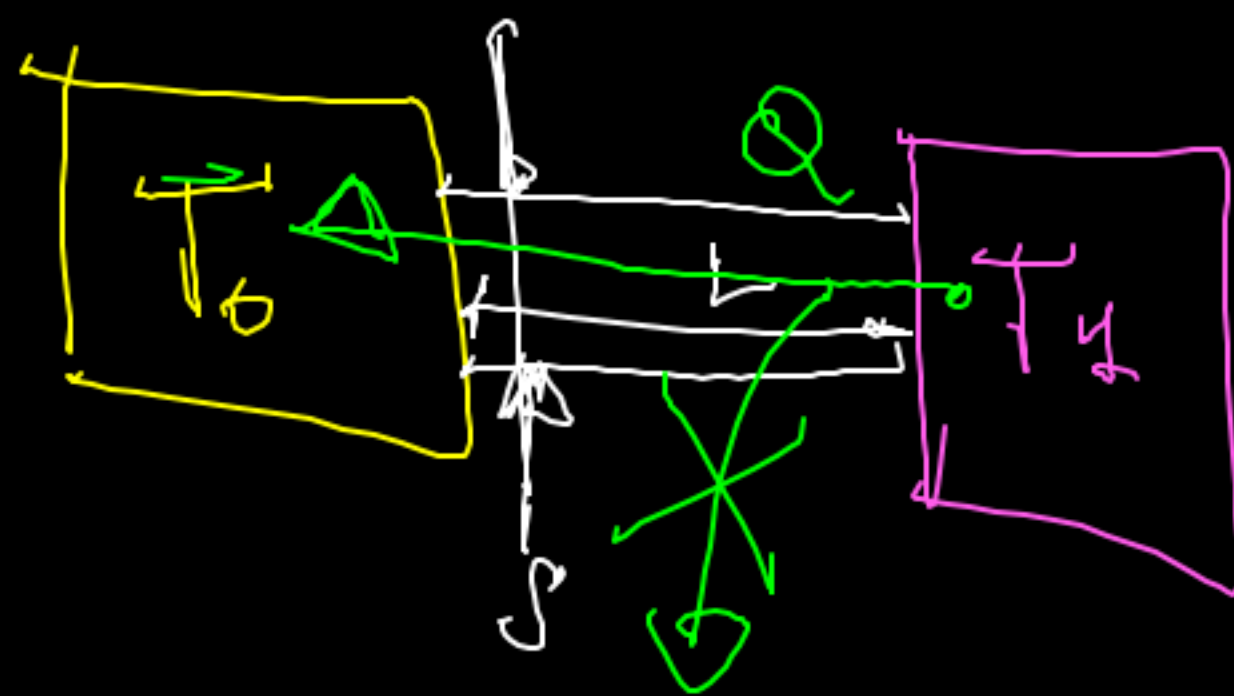


# TRASMISSIONE DEL CALORE



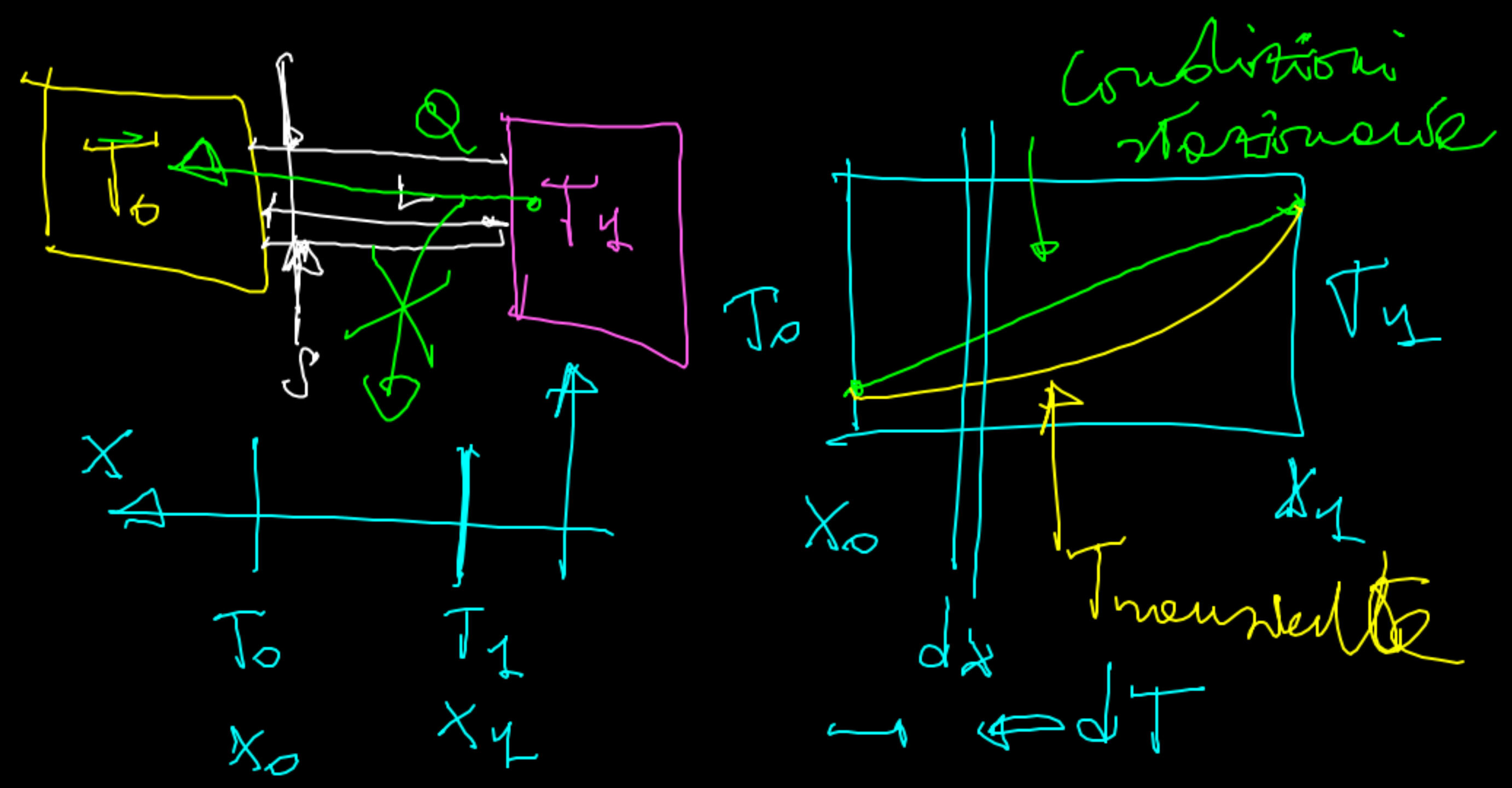
## CONDUZIONE (MODELLO)



$\frac{J}{S} = W \text{ (Watt)}$

$C = \frac{Q}{\Delta t} = k \frac{S \Delta T}{L}$

Coefficiente termico   
 CONDUC. TERMICA



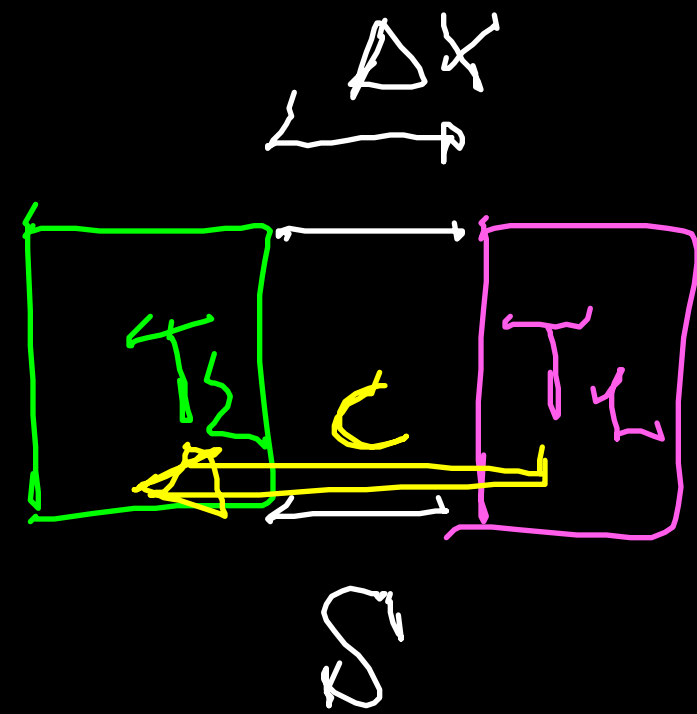
$$C = -kS \left( \frac{dT}{dx} \right)$$

gradiente  
temperatura

# CONDUZIONE IN COND. STAZ.

$$C = \frac{Q}{\Delta t} = \frac{K S \Delta T}{\Delta x}$$

$$\Delta T = \frac{\Delta x}{K S} C = R C$$



$$R = \frac{\Delta x}{K}$$

⇒ B.T.U.  
British Thermal  
Unit 1 BTU = 1055 J

$$\Delta T = T_1 - T_2$$

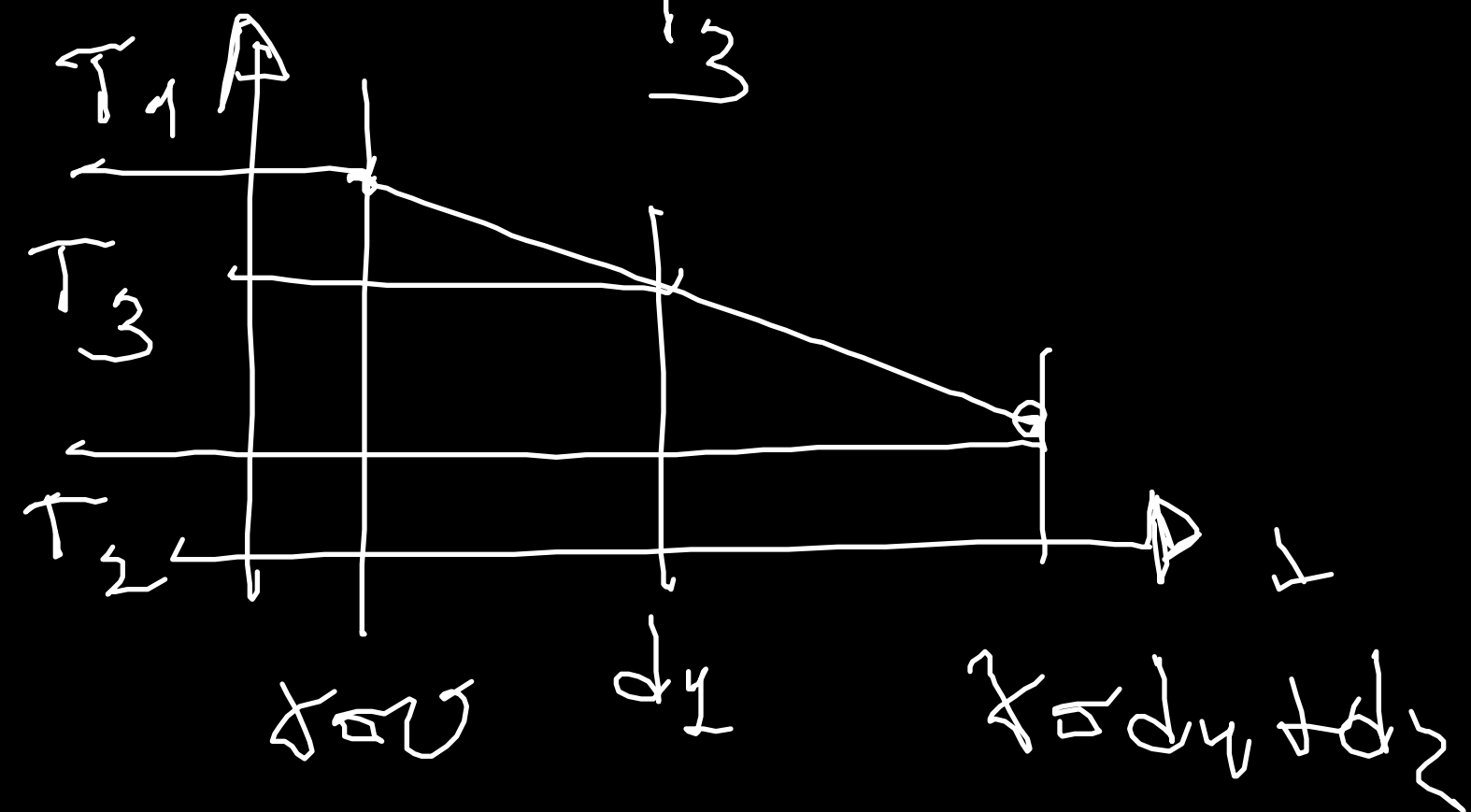
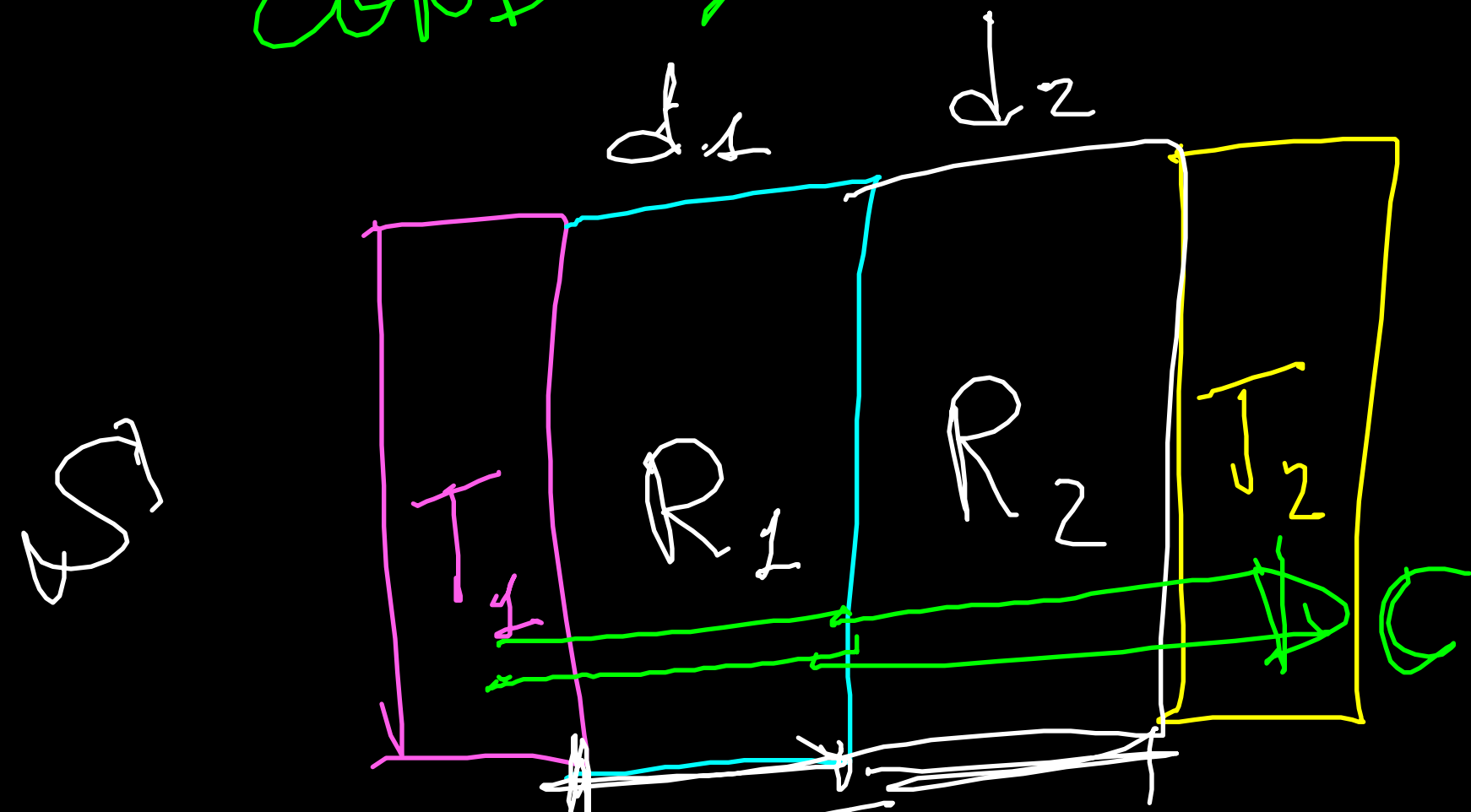
$$T_1 > T_2$$

$$[K] = \frac{[W]}{[m][K]}$$

$$[R] = \frac{[m]^2}{[W]} [K]$$

$$R = \frac{[^\circ F][h][ft]^2}{BTU}$$

COND STAB.



$$R_1 C = \Delta T = T_1 - T_2$$

$$R_1 = \frac{d_1}{K_1}$$

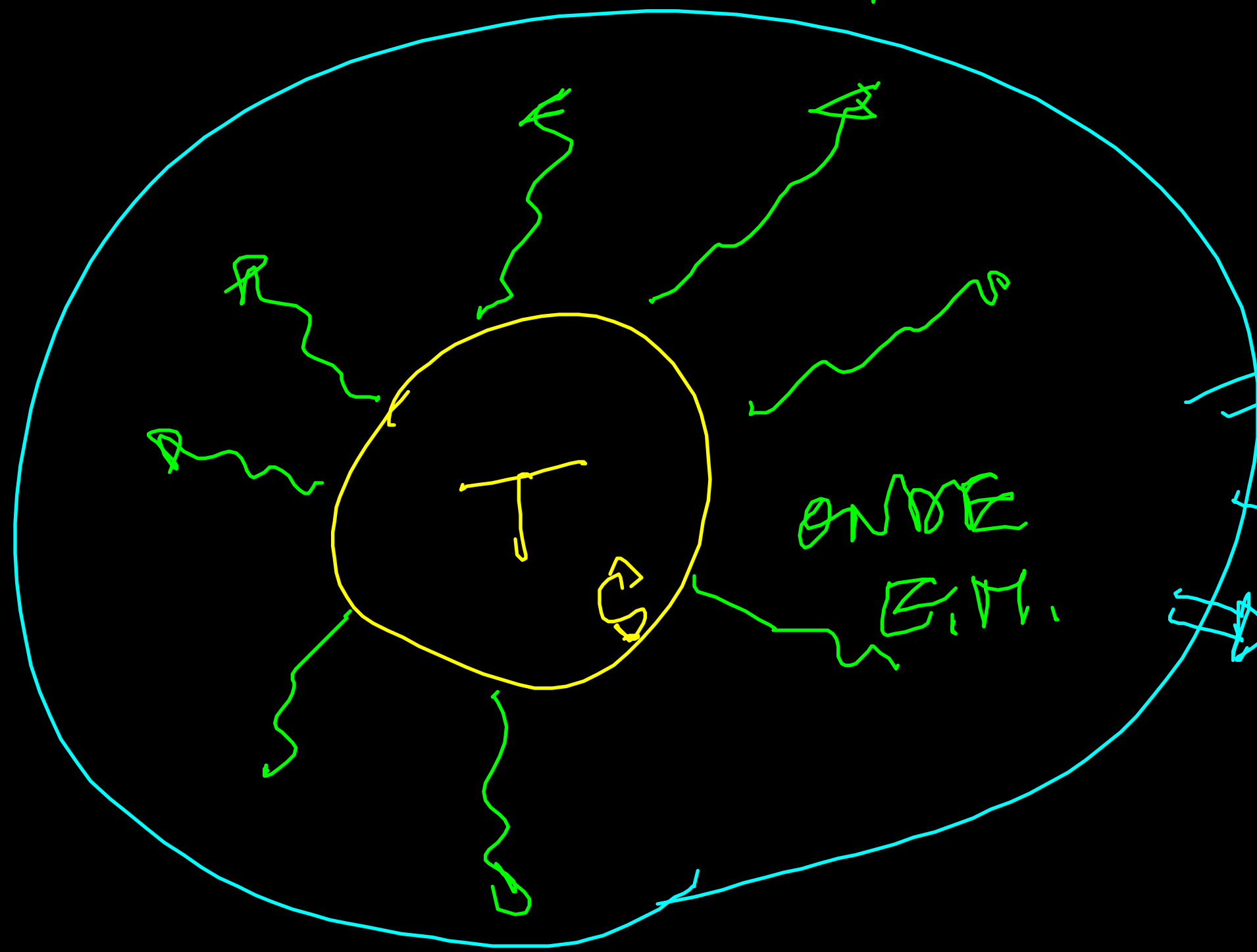
$$T_3 - T_3 = \frac{R_1}{C}$$

$$T_3 - T_2 = \frac{R_2}{C}$$

$$R_2 = \frac{d_2}{K_2}$$

$$T_1 - T_2 = C (R_1 + R_2)$$

# IRRAGGIAMENTO



$$W = \left[ \begin{matrix} 3 \\ 3 \end{matrix} \right]$$

$$P = \sigma \epsilon \int T^4$$

emittanza  $0 \leq \epsilon \leq 1$   
 costante di Stefan-Boltzmann

$$\sigma = 5.67 \times 10^{-8} \frac{W}{m^2 K^4}$$

## SPECTRO ONDE EM

$\lambda$       NOME

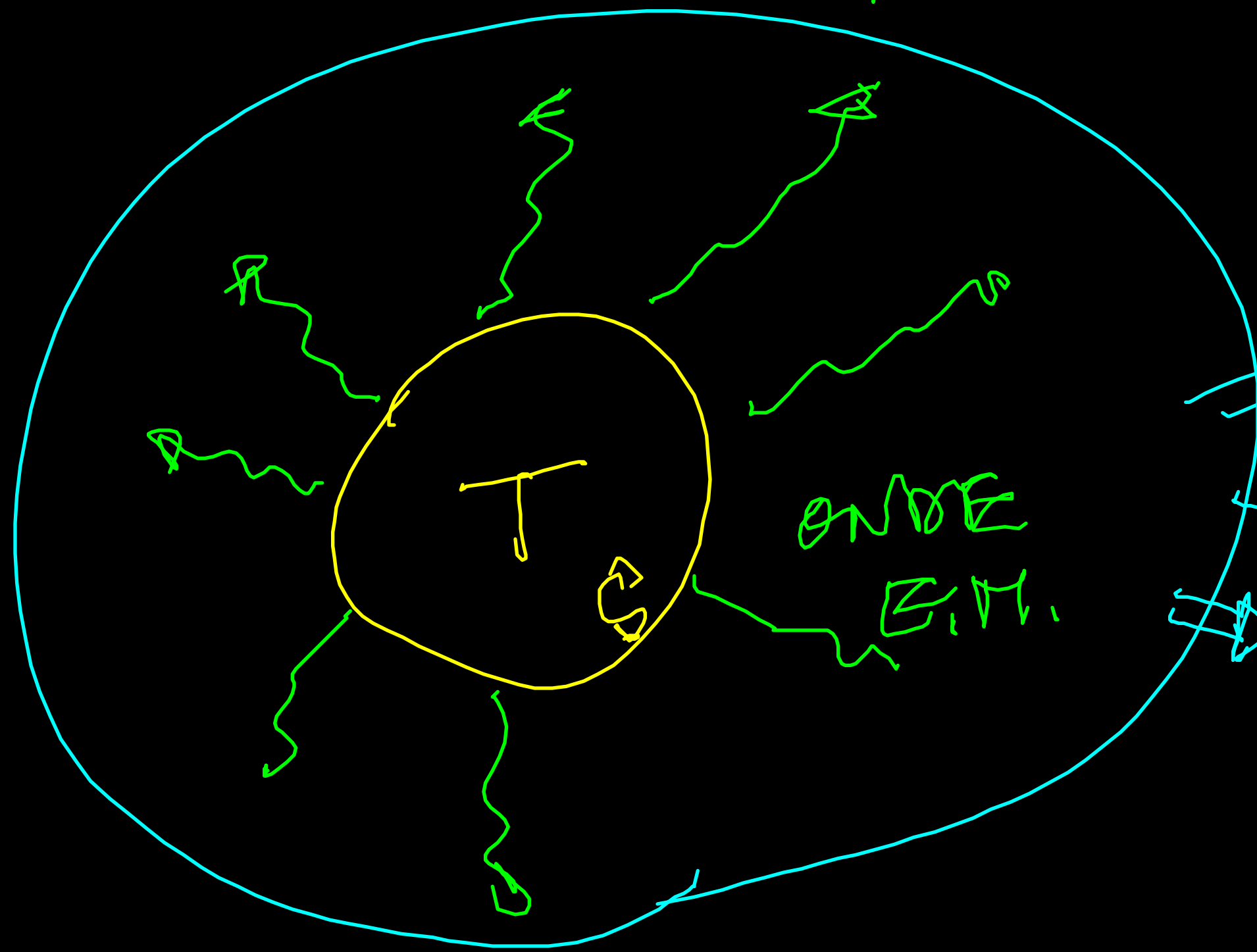
400-700 nm      LUCE VISIBILE

> 700 nm

< 400 nm

IR → MW → RF  
 UV, X, γ

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$$\frac{W}{m^2 K^4}$$

## SPECTRO ONDE EM

$\lambda$

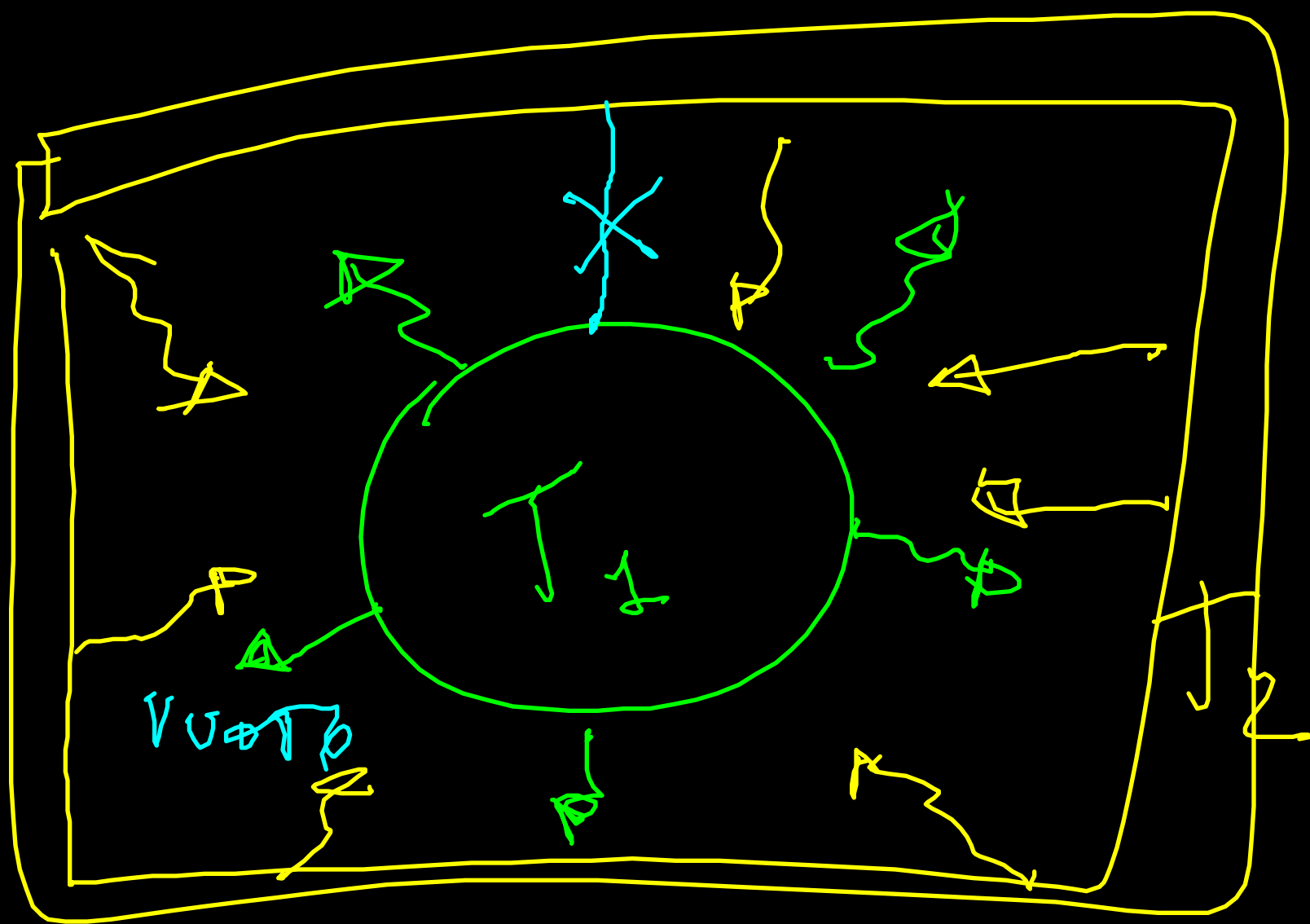
NOME

400-700 nm LUCE VISIBILE

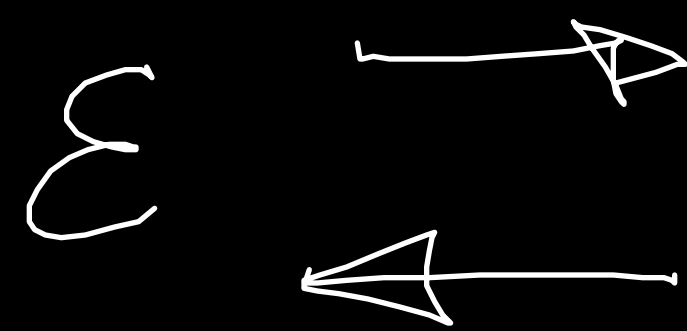
> 700 nm

< 400 nm

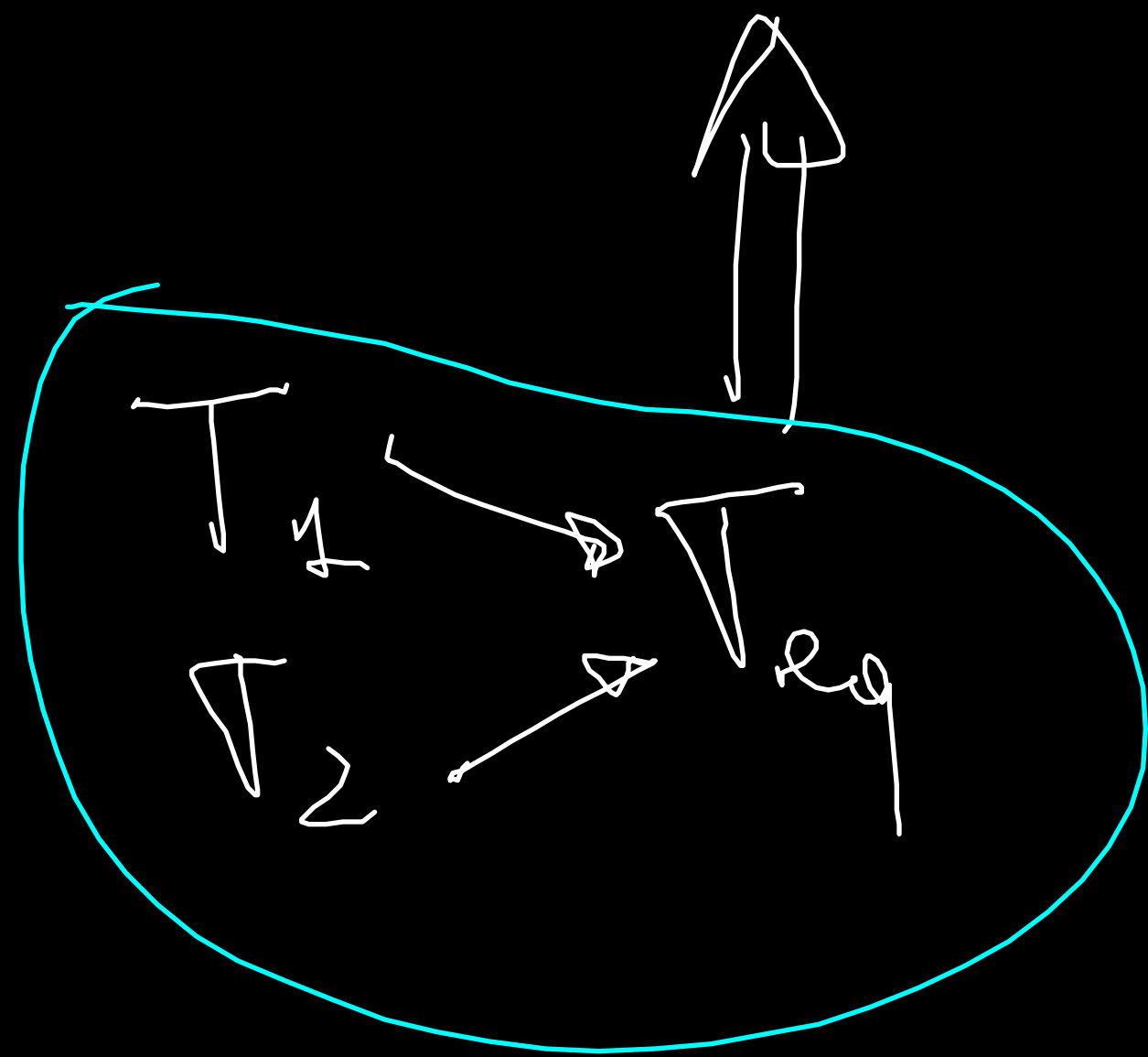
IR → MW → RF  
UV, X, γ



$\epsilon$  emissor = absorber

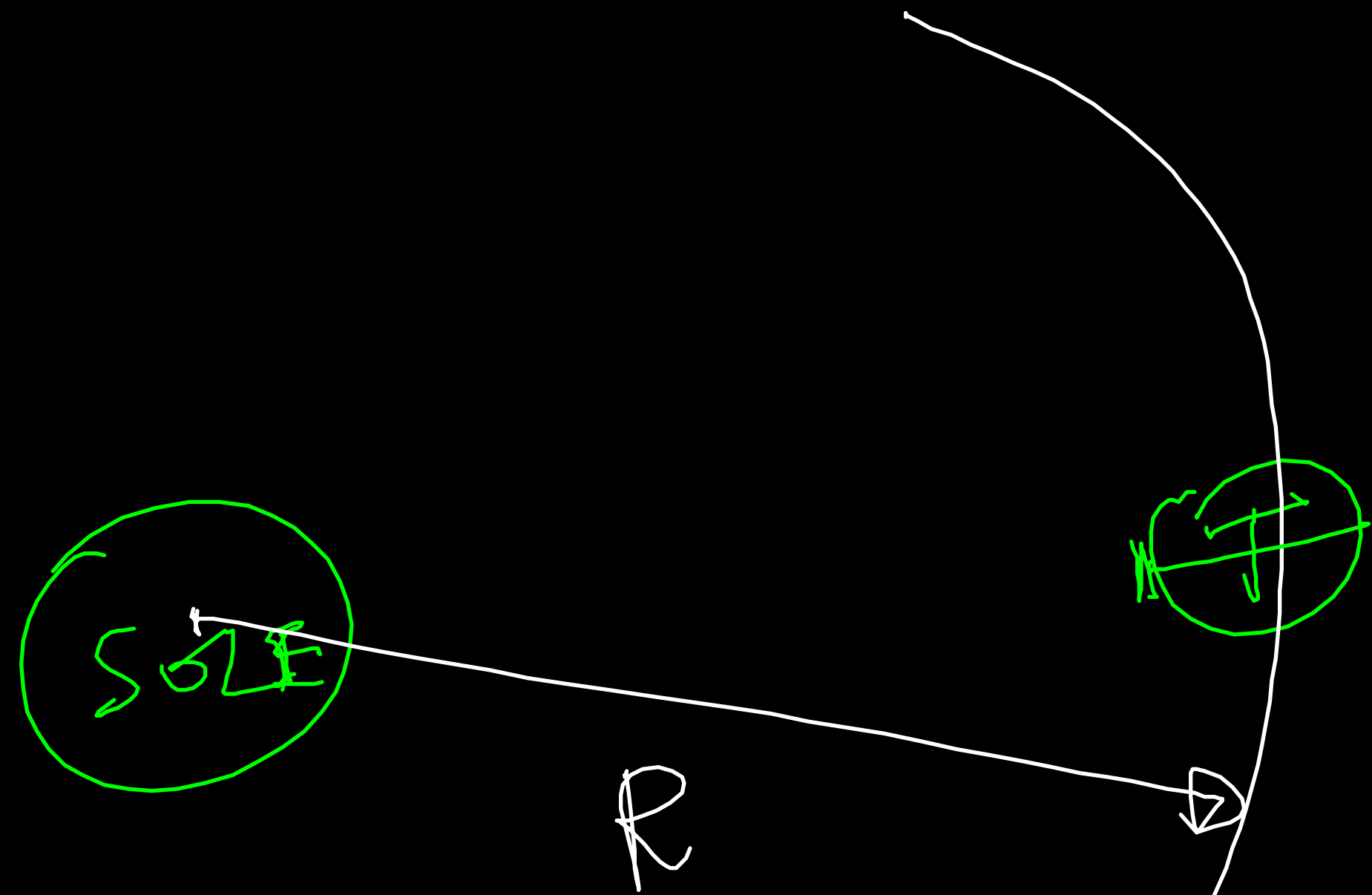


$T_1 \neq T_2$   
 Spontaneous



Corpo "NERO"

$$\epsilon \approx 1$$



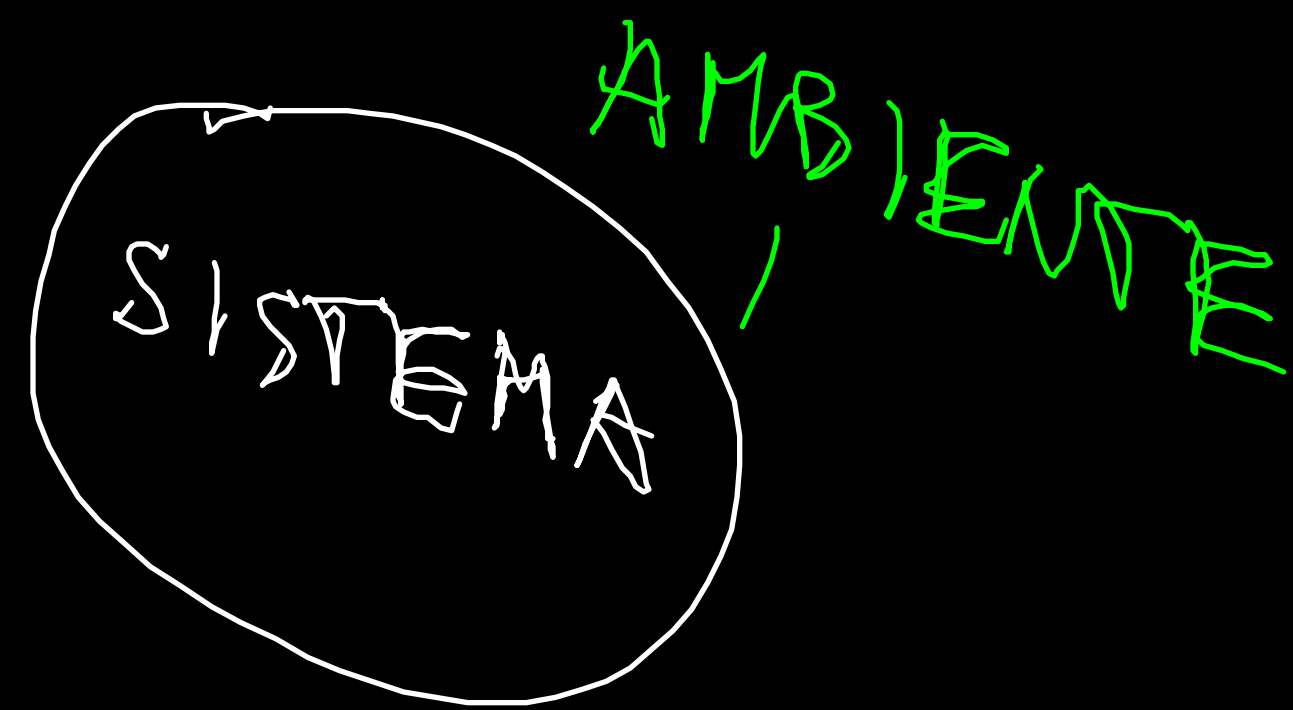
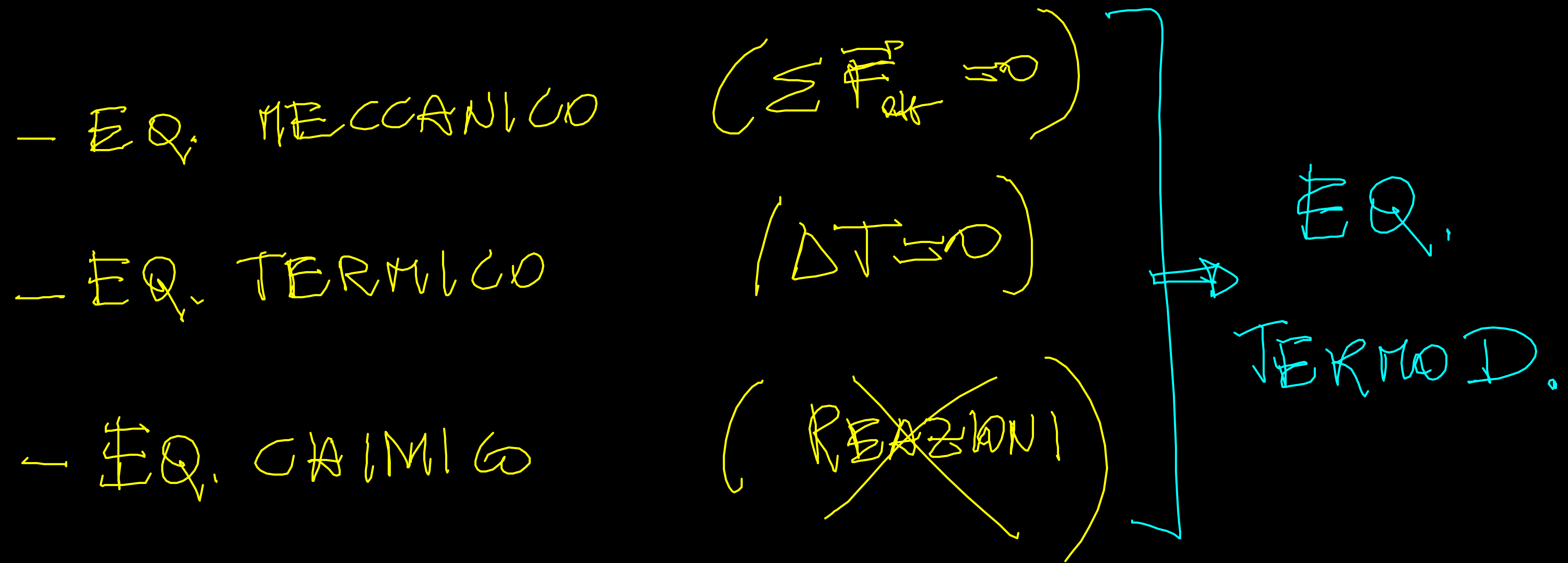
$$P_{\text{SOLE}} = 4.5 \times 10^{26} \text{ W}$$

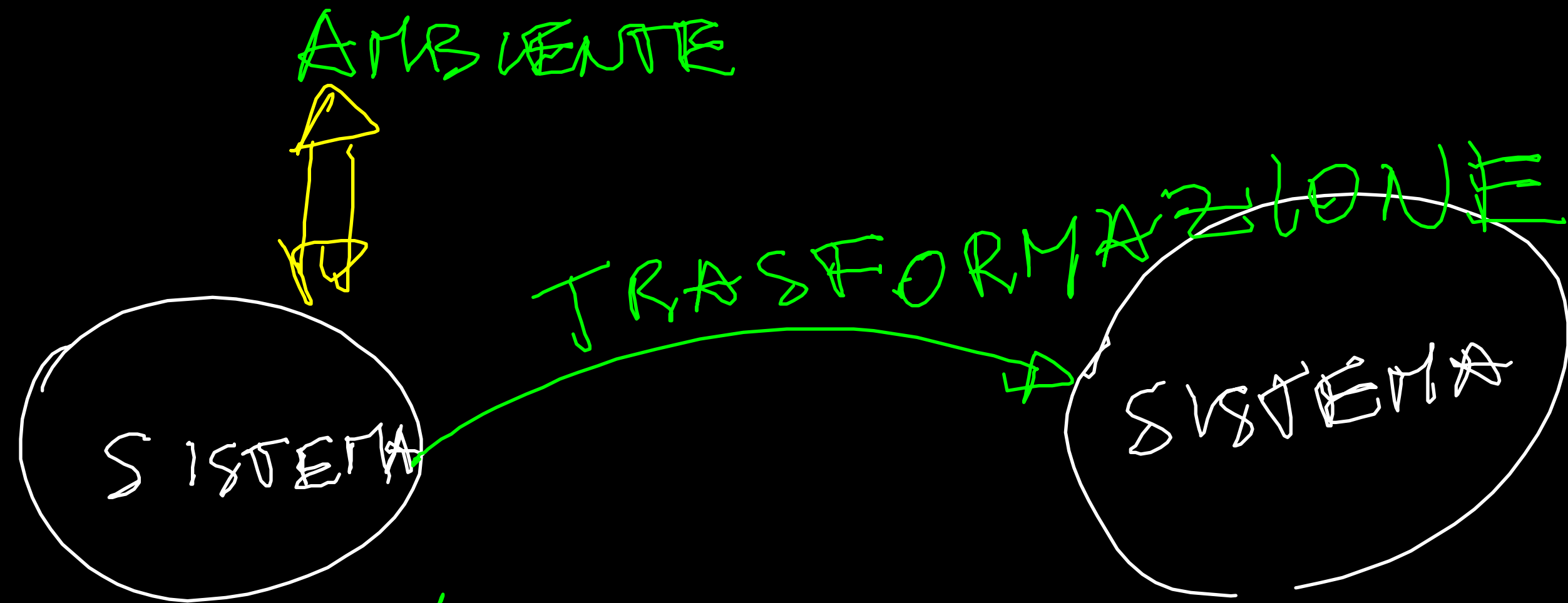
$$I = \frac{P_{\text{SOLE}}}{4\pi R^2} \quad \frac{\text{W}}{\text{m}^2}$$

$$I = 1600 \quad \frac{\text{W}}{\text{m}^2}$$



# EQUILIBRIO TERMODINAMICO





(TRA STATI DI EQ.)

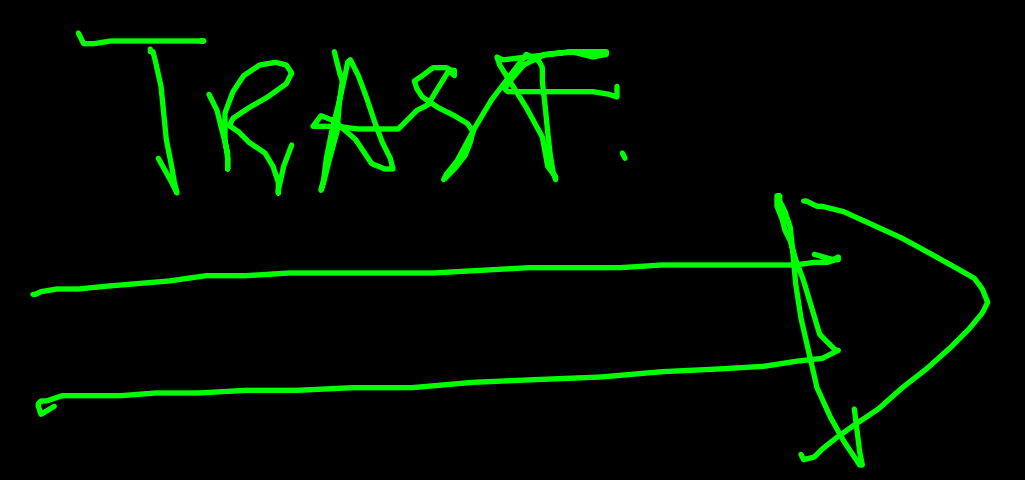
EQ. T. 1  
STATO 1

EQ. T. 2  
STATO 2

VARII  
TIPI DI  
TRASF.

VAR. DI STATO

$P_1$   
 $V_1$   
 $T_1$   
 $n_1$   
 $U_1$   
...

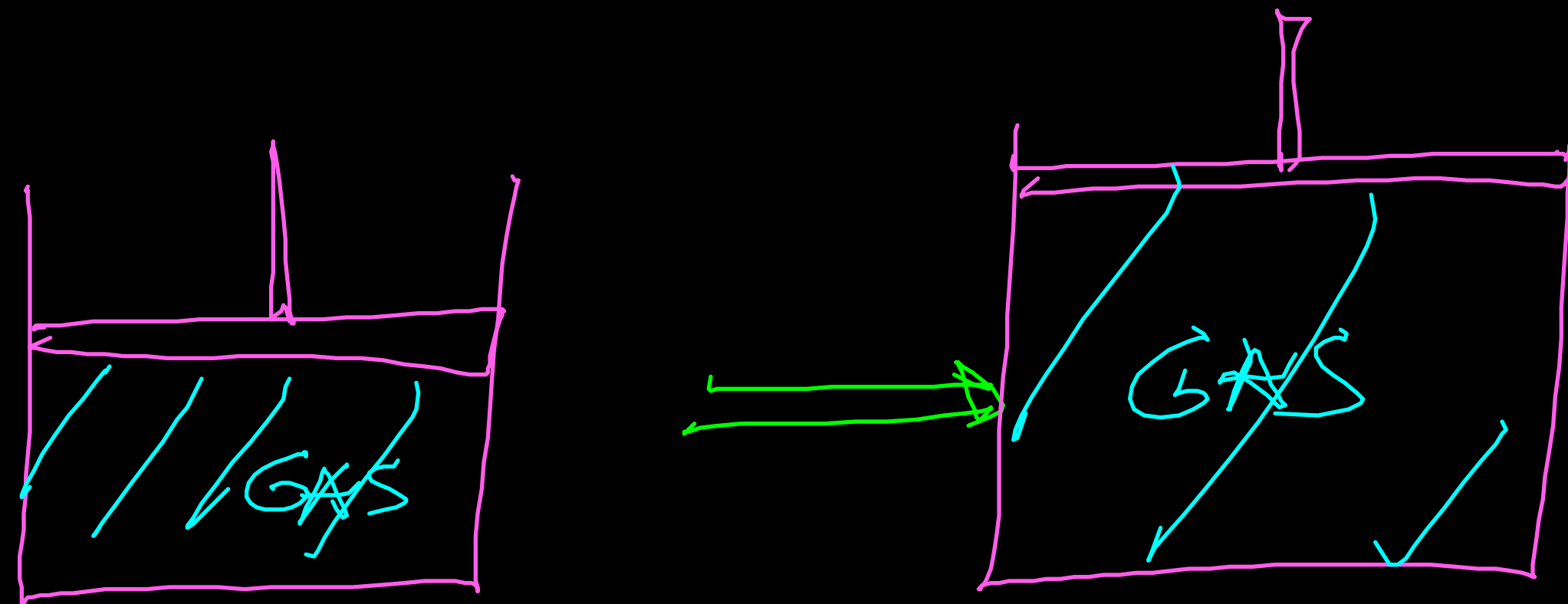


$P_2$   
 $V_2$   
 $T_2$   
 $n_2$   
 $U_2$   
...

- ADIABATICHE  $Q \neq 0$
- ISOTERME  $\Delta T = 0$
- ISOCORE  $\Delta V = 0$
- ISOBARE  $\Delta p = 0$
- CICLICHE  $S_i = S_f$

# CARATTERISTICHE COMUNI DELLE TRASF. (CHE SAPPIAMO "TRATTARE")

- Procedure per successivi stati di equilibrio



$$\Delta V > 0$$

Trasf.

QUASI-STATICHE

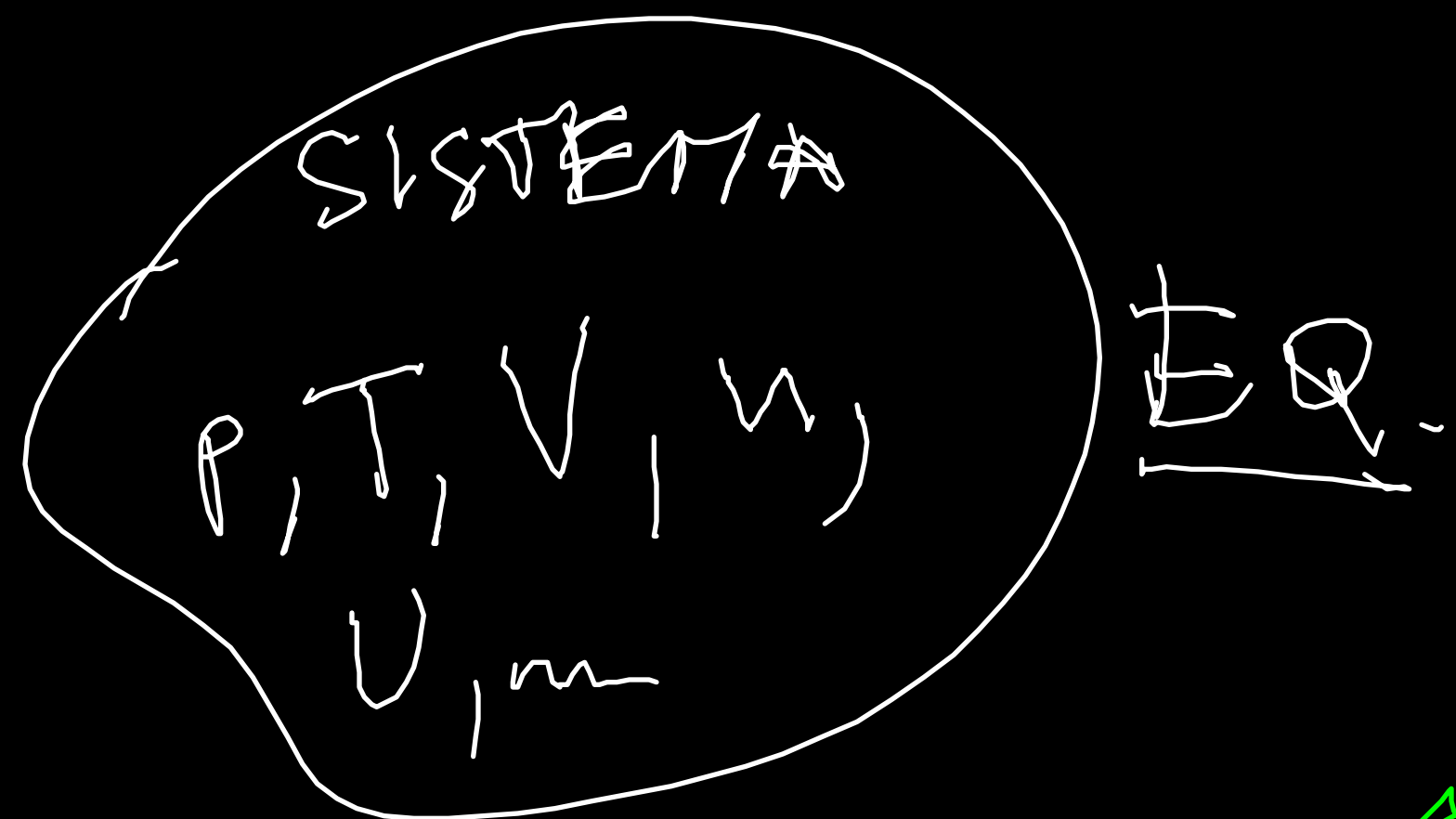
1) Si solleva velocemente il pistone  $\Rightarrow$

NON procede per stati di eq.

2) Si solleva lentamente il pistone  $\Rightarrow$

Trasf. QUASI-STATICA  
procede per stati di equilibrio

# EQUAZIONI DI STATO



Sperimentalmente:

$$P = f(T, V, n, U, S, \dots)$$

oppure  $T = g(P, V, n, U, S, \dots)$

EQ. DI STATO

( $\Rightarrow$  dipende dal sistema !!!)

$\Rightarrow$  Vale negli stati di equilibrio

# GAS RAREFATTO ( $\Rightarrow$ GAS "PERFETTO")

## Risultati sperimentali

i)  $n, T$   
fissi

$$pV = \text{cost} \quad (\text{Boyle})$$

ii)  $n, V$   
fissi

$$\frac{p}{T} = \text{cost}$$

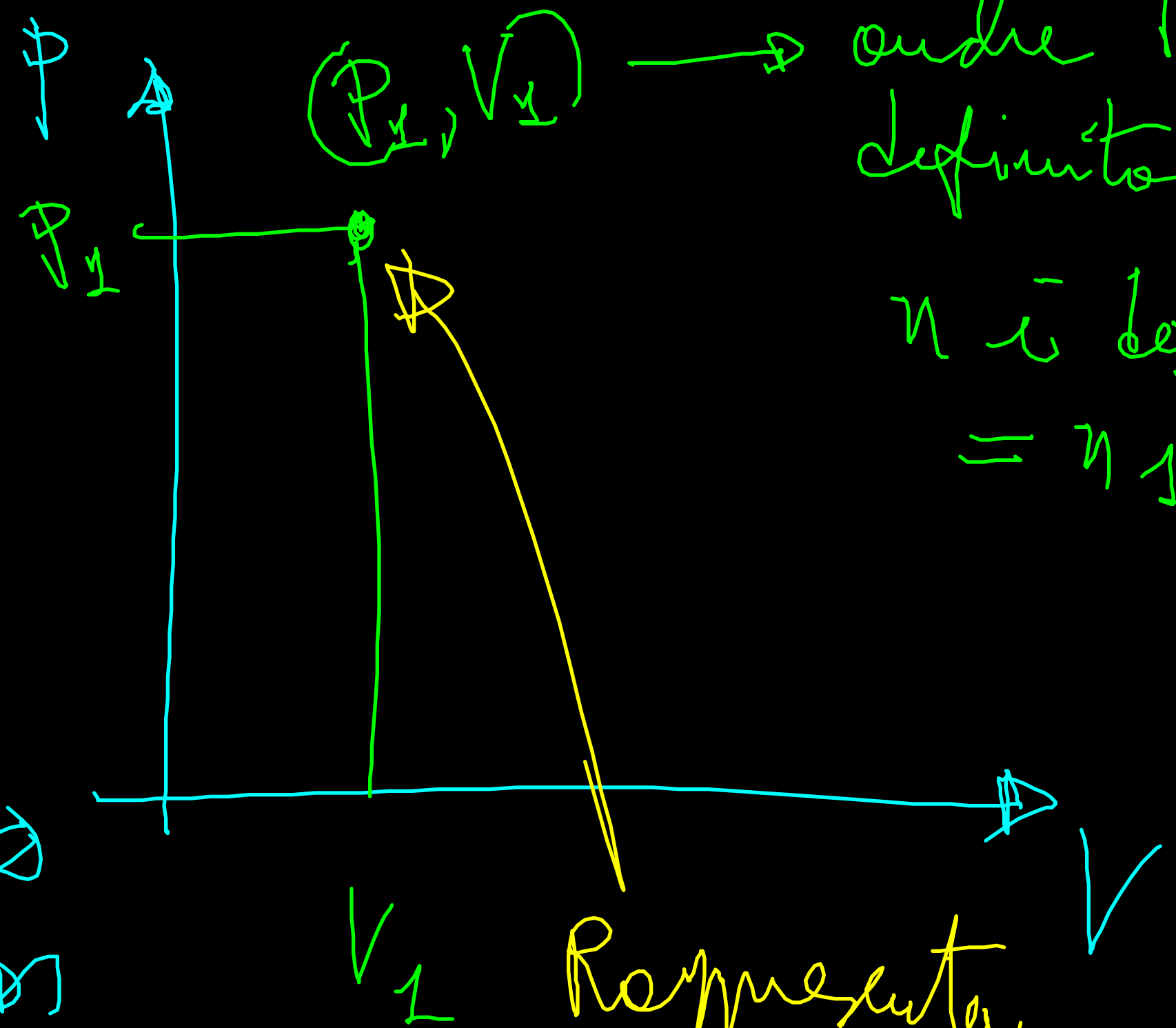
iii)  $n, p$   
fissi

$$\frac{V}{T} = \text{cost}$$

iv)  $V, T$

$$\frac{p}{n} = \text{cost}$$

PIANO DI  
CLAPEYRON



Rappresenta  
uno stato  
di equilibrio  
del gas